Suffolk County Community College Michael J. Grant Campus

Department of Mathematics

Wednesday, May 8, 2024

MAT 125 Pre-Calculus II

Final Exam

Instructor:

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	Please print the requested information in the spaces provided:
Student:	
Name:	
Student Id:	
Email:	include to receive the final grade via email ONLY if you are not getting email updates

- Notes and books are permitted on this exam.
- Graphing calculators, smartwatches, computers, cell phones and any other communication-capable devices are prohibited. Their mere presence in the open (even without use) is a sufficient reason for an immediate dismissal from this exam with a failing grade.
- You will not receive full credit if there is no work shown, even if you have the right answer. Please don't attach additional pieces of paper: if you run out of space, please ask for another blank final.

Problem 1. Consider the expression $\arctan(\tan(5))$.
(1). Draw 5, $tan(5)$ and $arctan(tan(5))$ in the same picture of a unit circle, showing how they are interconnected.
Space for your solution:

Space	e for your solution:	
(2).	Use the above picture to express $\arctan(\tan(5))$ without any trigo	onometric functions
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Space	e for your solution:	

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Problem :	2.	Solve the	equation	$\cos(t)$	$+\sin$	(t)) = 0).
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Space for your solution:

Problem 3. Solve the equation $\sin(2t) = \tan(t)$.



(1). Suppose $t \in [0, \pi]$ and $\cot(t) = 2$. Mark the 2, t and $\cos(t)$ in the proper locations in the picture of the unit circle.
Space for your solution:
(2). Use the above picture to express $\cos(t)$ without trigonometric functions.
Space for your solution:
(3). For all $x \in \mathbb{R}$, express $\cos \left(\operatorname{arccot}(x) \right)$ without trigonometric functions.
Space for your solution:

Problem 4. In this problem, we will study $\cos \left(\operatorname{arccot}(x) \right)$.